

**Model for Osteosarcoma-9 as a potent factor in cell survival and resistance to apoptosis**Ekaterini Vourvouhaki,<sup>1</sup> Carla Carvalho,<sup>2,\*</sup> and Paulo Aguiar<sup>3</sup><sup>1</sup>*Hellenic Pasteur Institute, 127 Vasilissis Sofias Avenue, 115 21 Athens, Greece*<sup>2</sup>*Departamento de Física, Instituto Superior Técnico, Av. Rovisco Pais, 1049-001 Lisbon, Portugal*<sup>3</sup>*Instituto de Biologia Molecular Celular, Rua do Campo Alegre 823, 4150-180 Porto, Portugal*

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In this paper we use a simple model to explore the function of the gene Osteosarcoma-9 (OS-9). We are particularly interested in understanding the role of this gene as a potent anti-apoptotic factor. The theoretical description is constrained by experimental data from induction of apoptosis in cells where OS-9 is overexpressed. The data available suggest that OS-9 promotes cell viability and confers resistance to apoptosis, potentially implicating OS-9 in the survival of cancer cells. Three different apoptosis-inducing mechanisms were tested and are modeled here. A more complex and realistic model is also discussed.

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**I. INTRODUCTION**

Of the various expressed sequence tags of unknown function which appear to be regulated when apoptosis is initiated [1], one was identified as the gene Osteosarcoma-9 (OS-9 GI:580310), which is mapped to the chromosomal region 12q13-q15. This region is amplified in various human cancers, including sarcomas and osteosarcomas. The observation that none of the known genes in this region is amplified in all tested tumors suggests that other genes must exist that are commonly amplified in different cancer types. Thus, the functional analysis of the OS-9 gene is of interest for its potential anti-apoptotic role in the development of cancer.

However, little functional data exist for OS-9. The identified sequence homology of OS-9 to both nucleolin and protein tyrosine phosphatase 1B (PTP-1B) was found to entail no functional similarities [2]. Being driven from a TATA-less promoter [3], however, suggests that OS-9 may be involved in cell-cycle regulated housekeeping or cell viability [2]. More recently, it was reported that OS-9 promotes oxygen-dependent degradation of hypoxia inducible factor 1 $\alpha$  (HIF-1 $\alpha$ ) via binding to both HIF-1 $\alpha$  and the HIF prolyl hydroxylases [4]. This is a surprising result since overexpression of HIF-1 $\alpha$  is characteristic of most human cancer and inhibition of HIF-1 impairs tumor growth. A role for OS-9 in the control of tumor progression as a tumor-suppressor gene has also been advanced [5].

In Ref. [6] the first observational data set on a preliminary functional analysis of the product of the OS-9 gene was presented. The authors used overexpression of OS-9 isoform 2 cDNA in two murine FDC-P1 cell line populations, namely, FDB-P1-17V (17V) and FDB-P1-17VIII (17VIII), and siRNA depletion of OS-9 specific mRNA in human umbilical vein endothelial cells (HUVEC) to study the role of OS-9 in induction of apoptosis by three mechanisms: interleukin 3 (IL-3) deprivation of IL-3-dependent murine myeloid cells [7], staurosporine treatment [8,9] and tumor necrosis factor  $\alpha$  (TNF  $\alpha$ ) treatment [10]. The data on the number of viable

and apoptotic cells in the two OS-9-overexpressed cell line populations were obtained from trypan blue exclusion analysis and from fluorescence-activated cell sorter (FACS) analysis after treatment with Annexin V and propidium iodide (PI). From the comparison with the cell population having the vector conferring the Haemagglutinin (HA) gene only (negative control), the data suggest the following results: (1) promotion of cell viability upon induction of apoptosis by withdrawal of IL-3; (2) promotion of cell resistance to apoptosis upon induction of apoptosis by addition of staurosporine and TNF  $\alpha$ ; (3) concentration dependence of resistance to apoptosis by addition of staurosporine; (4) resistance to apoptosis, with HUVEC'S precipitating to apoptosis upon blockage of the OS-9 function; (5) no effect on cell proliferation of any of the mechanisms.

This paper proposes a mechanistic model for the OS-9 functional data presented in Ref. [6], thus giving theoretical support to the interpretation of the experimental results by Vourvouhaki *et al.* The model is general enough to avoid speculations about the particular dynamics associated with OS-9, but informative to the point of showing, in a quantitative manner, the impact of OS-9 in cell fate. In particular, such a model must reproduce induction of apoptosis upon treatment with an apoptotic agent or upon withdrawal of a vital agent, and explain resistance to apoptosis and cell viability as a consequence of OS-9 overexpression.

This paper is organized as follows. In Sec. II we introduce the minimal model for the kinetics of a population of murine FDC-P1 cells with OS-9 overexpressed when subjected to three different mechanisms for induction of apoptosis, namely, withdrawal of IL-3, addition of staurosporine and addition of TNF  $\alpha$ . We analyze the biological system as a sequence of biochemical interactions which we then formulate into a mechanistic model encompassed by a system of kinetical equations. In Sec. III we optimize the parameters which describe the experimental results by fitting to the data the kinetical equations. For the optimal values for the parameters, the kinetical equations are expected to model the biological system within the observational errors and the limitations of a theoretical construct, as discussed in Sec. IV.

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## II. MODEL FOR OS-9 OVEREXPRESSION IN APOPTOSIS INDUCTION

In this section we analyze the biological system described by the experimental data in Ref. [6] as a sequence of biochemical interactions modeled by the overexpression of the OS-9 protein in two cell line populations of murine FDC-P1 cells, namely, 17V and 17VIII. The level of OS-9 mRNA in 17VIII was confirmed by real time polymerase chain reaction (PCR) to be approximately four times that of 17V [6]. Given the lack of knowledge on how the OS-9 protein acts in the cell, the entailed biochemical interactions are reduced to the simplest sensible functional form. In the biological system, we identify two competing effects, namely, induction of apoptosis on the one hand, and on the other hand promotion of cell viability and resistance to apoptosis due to OS-9 overexpression.

Apoptosis is induced by the addition of an apoptotic agent, identified as  $a_a$ , or by the withdrawal of a vital agent to the survival of the cells, identified as  $v_a$ . Here we describe induction of apoptosis by a decay rate of viable cells in the presence of an apoptotic agent or absence of a vital agent. These rate parameters are characteristic of the apoptotic mechanism and, hence, assumed to be dependent on the specific agent.

The cell response to apoptosis induction will depend on the induction mechanism. Thus, addition of an apoptotic agent will provoke the cell to resist apoptosis, in which case we will be assessing the OS-9 action in resistance to apoptosis. Conversely, withdrawal of a vital agent will challenge the cell to strive for survival, in which case we will be assessing the action of OS-9 in promoting cell viability.

These are the basic biochemical interactions which, together with the normal viable cell growth, must be contemplated by any model that attempts to describe the biological system being considered. We now proceed to formulate the simplest possible kinetical model containing just as many parameters as the data readily available allow us to constrain. An extension of such a model for an arbitrary number of possible intermediary mechanical interceptions is presented as an illustration of the increased level of data required to constrain an increased level of interaction.

### A. Kinetical model

In our first attempt to model the OS9 role, we collapse the biochemical interactions into a minimal set of kinetical equations. This first-order approximation avoids speculation and allows us to concentrate on the effects of OS-9 overexpression on promotion of viability and resistance to apoptosis. In the simplest plausible model, we have three variables: viable cells  $c_v$ , apoptotic cells  $c_a$  and dead cells  $c_n$ . The evolution in time of the number of cells in each of these cell stages is dependent on the reaction of the cell population to the absence of vital agent  $v_a$  or on the interaction with the apoptotic agent  $a_a$ , and the subsequent cell response derived from an OS-9 overexpression.

The biochemical interactions can be analyzed in fundamental phenomenological processes which we represent schematically by the following system of kinetical equations:

$$c_v \xrightarrow{\lambda} 2c_v, \quad (1)$$

$$c_v \xrightarrow{\alpha(1-\beta)} c_a, \quad (2)$$

$$c_a \xrightarrow{\gamma(1-\delta)} c_n. \quad (3)$$

Here Eq. (1) corresponds to cell proliferation, Eq. (2) to apoptosis induction by either addition of an apoptotic agent or withdrawal of a vital agent, and Eq. (3) to cell death. The reactions will now be described in detail.

Viable cells grow at a rate  $\lambda$ . The absence of any effect of the OS-9 overexpression on cell proliferation, as concluded from the DNA content analysis, implies that  $\lambda = \text{constant}$ . The effective cell growth, however, depends on the ratio of the number of viable cells to the carrying capacity  $c_{v(\text{max})}$ . As a first approximation, we assume that the cells proliferate effectively at a rate  $\lambda(1 - c_v/c_{v(\text{max})})$ . The choice of the linear functional form for the effective cell proliferation rate on the carrying capacity was motivated by the treatment of various aspects of cancer modeling discussed in Refs. [11,12].

Equation (2) describes the transition from viable cells to apoptotic cells induced by either addition of an apoptotic agent  $a_a$  or removal of a vital agent  $v_a$ . For both apoptosis induction processes we use the same expression for the conversion rate:  $\alpha(1 - \beta)$ . The two parameters involved are used to segregate the effect of OS-9 overexpression. The parameter  $\beta$  is a function of the OS-9 overexpression,  $\beta = \beta([\text{OS-9}])$ , and takes values in the interval  $[0,1]$ . The parameter  $\alpha$  absorbs all other contributions to the conversion rate and depends on the specific agent leading to apoptosis. All experimental situations described in this paper use either one of these two induction processes; no experiment uses both. Although both apoptosis-inducing processes have the same rate expression, the interpretation given to the parameter  $\beta$  is different. In the case of vital agent withdrawal, the  $\beta$  parameter of Eq. (2) measures promotion of cell viability modulated by the OS-9 overexpression. However, in the case of apoptotic agent addition,  $\beta$  reflects resistance of a viable cell to becoming apoptotic. Thus, this process must take place upstream in the apoptotic signal pathway before the activation of the initiator caspases (caspase-8, -9 and -12) [13].

Cell death, as expressed in Eq. (3), progresses at a rate given by the expression  $\gamma(1 - \delta)$ . As done previously, this expression segregates the dependence on OS-9 overexpression. The parameter  $\delta$  is a function of the OS-9 overexpression,  $\delta = \delta([\text{OS-9}])$ , and takes values in the interval  $[0, 1]$ . Apoptotic cells will enter the final stage of apoptosis at a rate  $\gamma$ . Correspondingly, the parameter  $\delta$  reflects resistance of an apoptotic cell to entering such stage characterized by the cell turning into an apoptotic body and eventually dying. This effect will take place downstream in the apoptotic signal pathway before the activation of the executioner caspases (caspase-3, -6 and -7) [13].

It is important to emphasize the modulation produced by OS-9 overexpression in these reactions. This modulation is encapsulated in the parameters  $\beta = \beta([\text{OS-9}])$  and  $\delta = \delta([\text{OS-9}])$ , which are such that  $\beta, \delta \in [0, 1]$ , where 0 de-

notes the control (normal) expression and all other values reflect a contribution of OS-9 overexpression.

We now proceed to formulate the phenomenological model into a system of differential equations for the three variables. In the case of induced apoptosis by the addition of one apoptotic agent, the interaction can be broken down as follows: (a) binding of  $a_a$  to  $c_v$ ; (b) interception by the OS-9-codified protein of a signal pathway triggered from an effective binding; (c) blocking of apoptosis induction in  $c_v$  or blocking of necrosis induction in  $c_a$ , depending on the position in the signal pathway of the interception; (d) survival or death of  $c_a$ .

For a contact rate  $\alpha$ ,  $\alpha$  molecules of the apoptotic agent will bind to a cell per unit time. If we assume that from each contact point a signal for apoptosis is always started, then  $\alpha c_v$  will be the number of triggered apoptotic signals per unit time. Before starting the upstream apoptosis-inducing caspase chain reaction,  $\beta(\alpha c_v)$  apoptotic signals interact with a molecule of the OS-9-codified protein per unit time, resulting in the interruption of the signal pathway. The remaining  $(1-\beta)(\alpha c_v)$  signals will successfully induce apoptosis. In cells where apoptosis has already been triggered, and in the absence of OS-9 overexpression, the final stage of apoptosis is reached at a rate  $\gamma c_a$ . In the presence of OS-9 overexpression, however, for  $\delta(\gamma c_a)$  successful OS-9-led interruption of a downstream signal for necrosis, the final stage of apoptosis will instead be reached at  $\gamma c_a(1-\delta)$ . Combining the reactions described above, we find that the variation in time of the number of viable cells is given by

$$\frac{dc_v}{dt} = \lambda c_v \left( 1 - \frac{c_v}{c_{v(\max)}} \right) - \alpha c_v (1 - \beta). \quad (4)$$

Given the time scale of the experiment, cell decay is rendered negligible and thus unaccounted for. This is supported by the data recorded in the FACS diagrams in Ref. [6], which suggest that necrosis is sourced by apoptosis rather than by decay. It follows that the number of apoptotic cells will vary in time as

$$\frac{dc_a}{dt} = \alpha c_v (1 - \beta) - \gamma c_a (1 - \delta), \quad (5)$$

and the number of dead cells as

$$\frac{dc_n}{dt} = \gamma c_a (1 - \delta). \quad (6)$$

This is an example of a quasispecies-type system [11].

In the case of induced apoptosis by withdrawal of a vital agent, the interaction can be broken down in a similar way to the previous case, with the apoptosis signal now being driven through the mitochondria/cytochrome  $c$  pathway [7]. The induction of apoptosis can still be described by a decay mechanism of rate  $\alpha c_v$ . This means that  $\alpha$  apoptotic signals are triggered per unit time in a cell subject to a vital agent-depleted medium. Of the total  $\alpha c_v$  apoptotic signals generated,  $\beta(\alpha c_v)$  are intercepted by the OS-9 protein, which measures the rate of failure of apoptosis induction.

Both mechanisms discussed here are independent and each comprises either addition of an apoptotic agent or with-

drawal of a vital agent. Consequently, we would expect that each highlights an independent function of OS-9, respectively, promotion of viability or resistance to apoptosis.

## B. Chemical model

The model described in the previous subsection can be regarded as a *black box* model which acts on a given initial state to reproduce the observed final state in a OS-9-dependent way. If the detailed *modus operandus* of the OS-9 action in the cell was known, then the system would be approximated by a *multiple little black box* model, with smaller black boxes describing intermediate reactions triggered by intermediary apoptotic agents and constrained by intermediary initial and final known states. For one intermediary apoptotic agent,  $a_a^{(1)}$ , in the upstream pathway between the trigger of the exterior apoptotic agent on the membrane of the cell and the interception by the OS-9 protein which binds to the signal at the rate  $\alpha_{up(1)}$ , the variation in time of the number of viable cells will be given by

$$\begin{aligned} \frac{dc_v}{dt} &= \lambda c_v \left( 1 - \frac{c_v}{c_{v(\max)}} \right) - \alpha c_v [\alpha_{up(1)} - \beta \alpha_{up(1)} - (1 - \alpha_{up(1)})] \\ &= \lambda c_v \left( 1 - \frac{c_v}{c_{v(\max)}} \right) - \alpha c_v [\alpha_{up(1)}(2 - \beta) - 1]; \end{aligned} \quad (7)$$

for two intermediary upstream apoptotic agents,  $a_a^{(1)}$  and  $a_a^{(2)}$ , with binding rates  $\alpha_{up(1)}$  and  $\alpha_{up(2)}$ , respectively, we have that

$$\begin{aligned} \frac{dc_v}{dt} &= \lambda c_v \left( 1 - \frac{c_v}{c_{v(\max)}} \right) - \alpha c_v \alpha_{up(1)} \alpha_{up(2)} \\ &\quad + \alpha c_v [\beta \alpha_{up(1)} \alpha_{up(2)} + \alpha_{up(1)}(1 - \alpha_{up(2)}) + (1 - \alpha_{up(1)})] \\ &= \lambda c_v \left( 1 - \frac{c_v}{c_{v(\max)}} \right) - \alpha c_v [\alpha_{up(1)} \alpha_{up(2)}(2 - \beta) - 1]; \end{aligned} \quad (8)$$

and, similarly, for  $n$  intermediary chemical agents upstream in the apoptic pathway

$$\frac{dc_v}{dt} = \lambda c_v \left( 1 - \frac{c_v}{c_{v(\max)}} \right) - \alpha a_a c_v \left[ (2 - \beta) \prod_{i=1}^n \alpha_{up(i)} - 1 \right]. \quad (9)$$

To account for the OS-9-modulated interception of the downstream signal pathway, we must allow for intermediary downstream necrotic agents,  $n_a^{(n)}$ , binding to the OS-9 protein at rates  $\alpha_{down(n)}$ . It follows that

$$\begin{aligned} \frac{dc_a}{dt} &= \alpha a_a c_v \left[ (2 - \beta) \prod_{i=1}^n \alpha_{up(i)} - 1 \right] \\ &\quad - \gamma c_a \left[ (2 - \delta) \prod_{i=1}^n \alpha_{down(i)} - 1 \right]. \end{aligned} \quad (10)$$

The role of each of these agents in the transmission of the apoptotic signal must be known and included in the dynamical system. To study the potential role of such a weakly



known gene such as the OS-9, this model is therefore inadequate. As the logical extension of the kinetical model to a series of such smaller systems, this model could be applied to a multiple level interaction approach to biological systems with available multiple level data constraints [14]. It might also provide further insight into some unexpected results obtained with the kinetical model. We hope to pursue this in the future.

### III. EXPERIMENTAL AND THEORETICAL RESULTS

In this section we proceed to use the system of first-order coupled differential equations derived in the previous section to model the data reported in Ref. [6]. This system is used to model the two different apoptotic inducing mechanisms, namely, addition of an apoptotic agent or withdrawal of a vital agent. In this paper we shall only use what we called the kinetic model. We want to solve for the time evolution of the number of viable cells  $c_v(t)$  and of apoptotic cells  $c_a(t)$  using the data in Ref. [6] to constrain the parameters  $\alpha$ ,  $\beta$ ,  $\gamma$  and  $\delta$  of the differential equations. In particular, we are interested in the values for the parameters  $\beta$  and  $\delta$  which measure the contribution of the OS-9 overexpression in the system.

The data consist of the average of nine readings of the number of viable cells and the number of apoptotic cells obtained from trypan blue exclusion analysis and from FACS analysis after treatment with Annexin V and PI, all experiments having been performed three times and each in triplicate. The FACS analysis sorts cells that are (1) alive, (2) undergoing apoptosis, (3) undergoing necrosis and that are (4) in between apoptosis and necrosis, thus allowing to discriminate alive, apoptotic and dead cells. The trypan blue exclusion analysis simply separates dead from live cells, lacking the sophistication and sensitivity to discriminate viable cells from apoptotic cells. In a modeling study that considers all three of the cell stages, the data from the trypan blue exclusion analysis are inappropriate for use and, hence, will not be included here.

The solutions were determined numerically with MATHEMATICA (Wolfram Research). For the parameter estimation we implemented a sampling algorithm which calculates a cost function of a list of values for each parameter that we want to estimate. The cost function is defined as the sum of the square of differences between the experimental points and the corresponding points of the solution to the kinetical system. The minimum of the cost function line, or surface, defines the parameter value which optimally fits the experimental data. The precision of the method is defined by the density of points in the search space. The optimal values thus determined for all the parameters were then used to plot the solutions for  $c_v(t)$  and  $c_a(t)$  which we present in this paper. We applied the algorithm to both the average values and the corresponding maxima and minima encompassed by the error bars. For each data set, we obtained from three to eight estimates for (and depending on) each parameter by fitting the equations to the average and to the extreme data points. The parameters obtained from the average data points were combined to produce the *induced average* solution (represented by a continuous line); the parameters obtained from

the extreme data points were combined to produce the maximum and minimum solutions (represented by dashed lines siding the continuous line), which reflect the propagation of the measurement errors and, thus, define the *induced error interval* of all possible curves capable of optimally fitting the data within the experimental errors. All the curves show percentages normalized to the initial number of viable cells,  $c_v(t=0)=1 \times 10^5$ .

From the experimental curves we can extrapolate the values for  $\lambda$  and  $c_{v(\max)}$  adjusted to the system. Here we use  $\lambda = 0.01$  and  $c_{v(\max)} = 20 \times 10^5$ . From the data on the HA-only marked (negative control) population, we estimate the parameters which do not depend on the OS-9 overexpression, namely,  $\alpha$  and  $\gamma$ . We proceed to apply them to the OS-9-overexpressed cell line populations to estimate the parameters which measure the overexpression of OS-9, namely,  $\beta$  and  $\delta$ . The data analysis of each apoptosis-inducing mechanism is introduced by the interpretation advanced in Ref. [6] based on a qualitative reading of the experimental results, which we then confront with the interpretation of the quantified, data-constrained parameters of the model.

#### A. Withdrawal of IL-3 in FDC-P1 cells

Here we analyze apoptosis induction by IL-3 deprivation of IL-3-dependent cells. The corresponding apoptotic mechanism is that of withdrawal of a vital agent and is described by the system of Eqs. (4)–(6), with  $\beta$  having the interpretation of OS-9 overexpression modulation in cell viability. The experimental results are collected in Figs. 2B and 2C of Ref. [6], which we reproduce in Figs. 1(a) and 2(a), respectively.

First we solve for  $c_v(t)$  given by Eq. (4) and fit it to the number of viable cells shown in Fig. 1(a). In the absence of OS-9 overexpression this equation has only one free parameter, namely,  $\alpha$ . Setting  $\beta=0$ , we fit the solution to the curve for the number of viable cells in the HA-only marked cell population to find  $\alpha=0.057^{+0.001}_{-0.001}$ . In the presence of OS-9 overexpression we also have the parameter  $\beta$  to consider. We now use the results found for  $\alpha$  to fit  $c_v(t)$  to the experimental curve for the number of viable cells in the OS-9-overexpressed cell line populations and, thus, to find the corresponding  $\beta$ . We obtain  $\beta_{17V}=0.17^{+0.04}_{-0.05}$  and  $\beta_{17VIII}=0.31^{+0.03}_{-0.04}$  for the 17V and the 17VIII cell line populations, respectively. The resulting plots are depicted in Fig. 1(b).

We then solve for  $c_a(t)$  given by Eq. (5) and fit it to the number of apoptotic cells shown in Fig. 2(a) to determine the parameters  $\gamma$  and  $\delta$ . Using  $\alpha=0.057^{+0.001}_{-0.001}$  and setting  $\beta, \delta=0$ , the fitting of the solution to the number of apoptotic cells in the negative control population gives  $\gamma=0.30^{+0.04}_{-0.04}$ . Substituting now also for  $\beta$  the results  $\beta_{17V}=0.17^{+0.04}_{-0.05}$  and  $\beta_{17VIII}=0.31^{+0.03}_{-0.04}$ , the fitting of the solution to the number of apoptotic cells in the OS-9-overexpressed cell line populations gives  $\delta_{17V}=0.099^{+0.16}_{-0.099}$  and  $\delta_{17VIII}=0.086^{+0.14}_{-0.086}$ , respectively. The resulting plots are depicted in Fig. 2(b).

In accordance with the experimental data, our mathematical model returns no significant difference between the number of apoptotic cells in the negative control population and that in the OS-9-overexpressed cell line populations, as illustrated by the shared pattern of the curves. We note that it

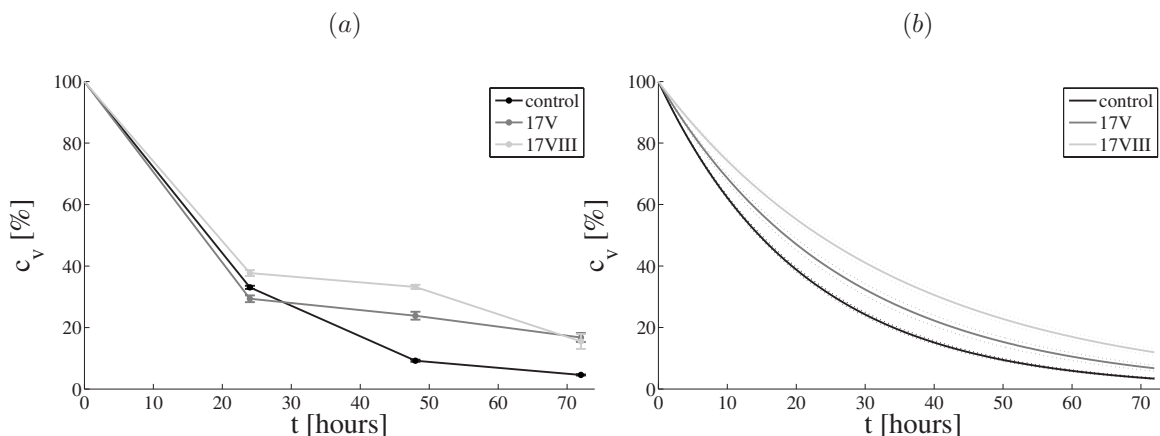


FIG. 1. Number of viable cells after withdrawal of IL-3, in the presence and in the absence of OS-9, from FACS analysis. In (a) we reproduce the data from Fig. 2B in Ref. [6]. In (b) we show the solutions for  $c_v(t)$  with  $\alpha=0.057$ . The black curve depicts  $c_v(t)$  when  $\beta=0$ , the gray curves depict  $c_v(t)$ , with the dark gray curve for  $\beta_{17V}=0.17$  and the light gray curve for  $\beta_{17VIII}=0.31$ . (The upper dashed curves represent the fittings to the maxima data with  $\alpha=0.056$ ,  $\beta_{17V}=0.19$  and  $\beta_{17VIII}=0.32$ ; the lower dashed curves represent the fittings to the minima data with  $\alpha_0=0.058$ ,  $\beta_{17V}=0.15$  and  $\beta_{17VIII}=0.30$ .)

captures rather closely the crossing point where the number of apoptotic cells in the OS-9-overexpressed cell populations is the same and the starting dominance of the 17V population over the 17VIII population is reversed. As anticipated by Vourvouhaki *et al.* [6], this case illustrates promotion of cell viability (as shown by  $\beta \neq 0$ ) and possibly downstream resistance to apoptosis (as shown by  $\delta \neq 0$ ). Our mathematical model allows separation of the effect of promotion of viability, as encapsulated in a nonvanishing  $\beta$ , from the effect of downstream resistance to apoptosis, as encapsulated in a nonvanishing  $\delta$ .

### B. Staurosporine treatment in FDC-P1 cells

Here we analyze apoptosis induction by treatment with staurosporine. The apoptotic mechanism is that of addition of an apoptotic agent and is described by the system of Eqs.

(4)–(6), with  $\beta$  having the interpretation of OS-9 overexpression modulation in apoptosis resistance. The experimental results are collected in Figs. 5B and 5C of Ref. [6].

Two different concentrations of staurosporine were considered:  $1 \mu M$  and  $0.1 \mu M$ . The data for  $[\text{staurosporine}] = 1 \mu M$  are reproduced in Figs. 3(a) and 4(a); the data for  $[\text{staurosporine}] = 0.1 \mu M$  are reproduced in Figs. 5(a) and 6(a). We do not impose any additional constraint in the system to account for the concentration change. In other words, we let parameters  $\alpha$  and  $\beta$  absorb the changes induced by the different concentrations.

#### 1. $[\text{Staurosporine}] = 1 \mu M$

First we solve for  $c_v(t)$  for  $[\text{staurosporine}] = 1 \mu M$ , given by Eq. (4), and fit it to Fig. 3(a) to find  $\alpha = 0.20^{+0.005}_{-0.01}$  from  $c_v$

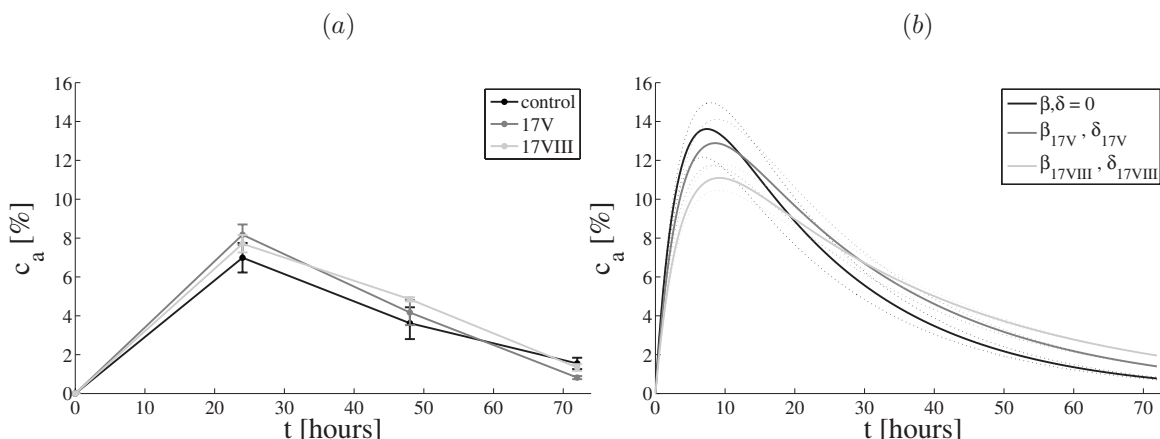


FIG. 2. Number of apoptotic cells after withdrawal of IL-3, in the presence and in the absence of OS-9, from FACS analysis. In (a) we reproduce the data from Fig. 2C in Ref. [6]. In (b) we show the solutions for  $c_a(t)$  with  $\alpha=0.057$  and  $\gamma=0.30$ . The black curve depicts  $c_a(t)$  when  $\beta, \delta=0$ , the gray curves depict  $c_a(t)$ , with the dark gray curve for  $\beta_{17V}=0.17$  and  $\delta_{17V}=0.099$ , and the light gray curve for  $\beta_{17VIII}=0.31$  and  $\delta_{17VIII}=0.086$ . (The upper dashed curves represent the fittings to the maxima data with  $\alpha=0.058$ ,  $\gamma=0.26$ ,  $\beta_{17V}=0.15$  and  $\delta_{17V}=0.070$ , and  $\beta_{17VIII}=0.30$  and  $\delta_{17VIII}=0.029$ ; the lower dashed curves represent the fittings to the minima data with  $\alpha=0.056$ ,  $\gamma=0.34$ ,  $\beta_{17V}=0.19$  and  $\delta_{17V}=0.14$ , and  $\beta_{17VIII}=0.32$  and  $\delta_{17VIII}=0.16$ .)

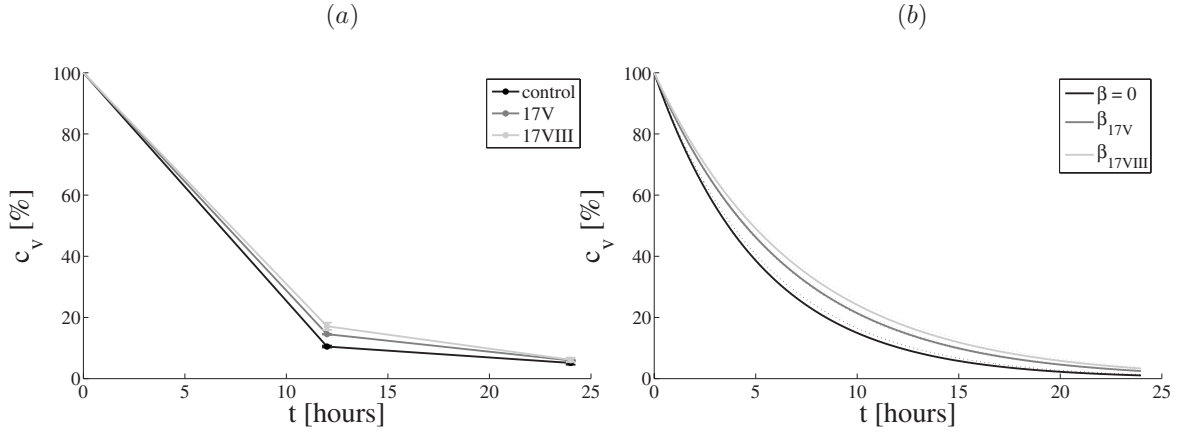


FIG. 3. Number of viable cells after treatment with staurosporine  $1 \mu M$ , in the presence and in the absence of OS9, from FACS analysis. In (a) we reproduce the data from Fig. 5B in Ref. [6]. In (b) we show the solutions for  $c_v(t)$  with  $\alpha=0.20$ . The black curve depicts  $c_v(t)$  when  $\beta=0$ . The gray curves depict  $c_v(t)$ , with the dark gray curve for  $\beta_{17V}=0.18$  and the light gray curve for  $\beta_{17VIII}=0.24$ . (The upper dashed curves represent the fittings to the maxima data with  $\alpha=0.19$ ,  $\beta_{17V}=0.14$  and  $\beta_{17VIII}=0.23$ ; the lower dashed curves represent the fittings to the minima data with  $\alpha=0.20$ ,  $\beta_{17V}=0.17$  and  $\beta_{17VIII}=0.20$ .)

in the negative control population, and  $\beta_{17V}=0.18^{+0.005}_{-0.05}$  and  $\beta_{17VIII}=0.24^{+0.03}_{-0.07}$  from the corresponding OS-9-overexpressed cell line populations. The results are plotted in Fig. 3(b).

We then solve for  $c_a(t)$  for [staurosporine]= $1 \mu M$ , as given by Eq. (5), and fit it to Fig. 4(a) in order to determine the parameters  $\gamma$  and  $\delta$ . Setting  $\beta, \delta=0$  and using  $\alpha=0.20^{+0.005}_{-0.01}$ , we fit the solution to the experimental curve for the number of apoptotic cells in the negative control population and obtain  $\gamma=0.72^{+0.18}_{-0.10}$ . We proceed to fit the solution to the experimental number of apoptotic cells in the OS-9-overexpressed cell line populations using the values determined above for the other parameters to find that  $\delta_{17V}=0.19^{+0.17}_{-0.16}$  and  $\delta_{17VIII}=0.27^{+0.16}_{-0.13}$ . The results are plotted in Fig. 4(b).

## 2. [Staurosporine]= $0.1 \mu M$

First we solve for  $c_v(t)$ , given by Eq. (4), and fit the solution to the curves for  $c_v$  depicted in Fig. 5(a). Setting  $\beta=0$ , we fit the solution to the experimental curve for  $c_v$  in the negative control population and find  $\alpha=0.15^{+0.01}_{-0.005}$ . Fitting the solution to the experimental curves for  $c_v$  in the OS-9-overexpressed cell line populations with  $\alpha=0.15^{+0.01}_{-0.005}$ , we find  $\beta_{17V}=0.19^{+0.06}_{-0.05}$  and  $\beta_{17VIII}=0.35^{+0.05}_{-0.06}$ .

We then proceed to solve for  $c_a(t)$ , given by Eq. (5), and fit the solution to the experimental curves for  $c_a$  depicted in Fig. 6(a). Setting  $\beta, \delta=0$  and  $\alpha=0.15^{+0.01}_{-0.005}$ , we fit the solution to the experimental curve for  $c_a$  in the negative control population and find  $\gamma=0.20^{+0.005}_{-0.01}$ . This value is substantially lower than the one obtained for [staurosporine]= $1 \mu M$  ( $\gamma=0.72^{+0.18}_{-0.10}$ ). This difference emphasizes the strong depen-

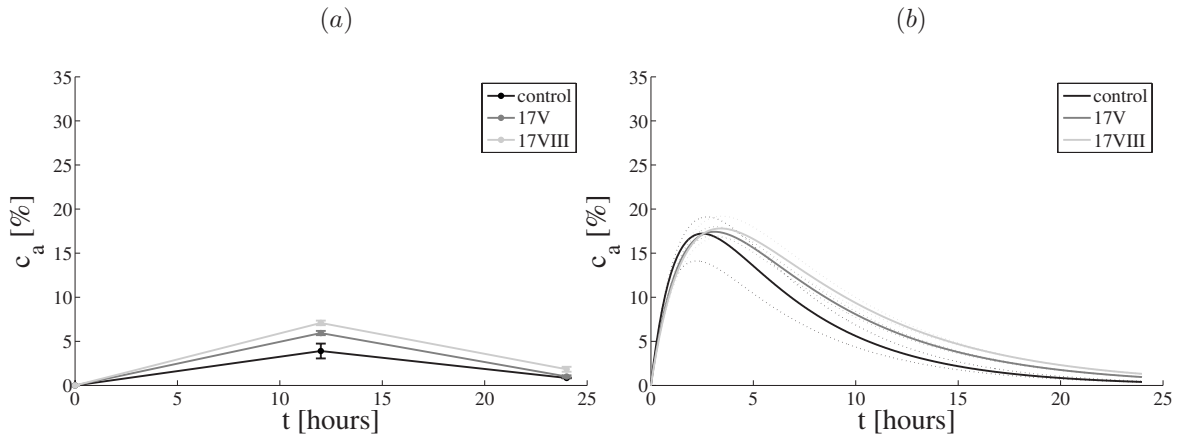


FIG. 4. Number of apoptotic cells after treatment with staurosporine  $1 \mu M$ , in the presence and in the absence of OS-9, from FACS analysis. In (a) we reproduce the data from Fig. 5C in Ref. [6]. In (b) we show the solutions for  $c_a(t)$  with  $\alpha=0.20$  and  $\gamma=0.72$ . The black curve depicts  $c_a(t)$  when  $\beta, \delta=0$ ; the gray curves depict  $c_a(t)$ , with the dark gray curve for  $\beta_{17V}=0.18$  and  $\delta_{17V}=0.19$ , and the light gray curve for  $\beta_{17VIII}=0.24$  and  $\delta_{17VIII}=0.27$ . (The upper dashed curves represent the fittings to the maxima data with  $\alpha=0.20$ ,  $\gamma=0.62$ ,  $\beta_{17V}=0.17$  and  $\delta_{17V}=0.09$ , and  $\beta_{17VIII}=0.20$  and  $\delta_{17VIII}=0.20$ ; the lower dashed curves represent the fittings to the minima data with  $\alpha=0.19$ ,  $\gamma=0.90$ ,  $\beta_{17V}=0.14$  and  $\delta_{17V}=0.33$ , and  $\beta_{17VIII}=0.23$  and  $\delta_{17VIII}=0.39$ .)

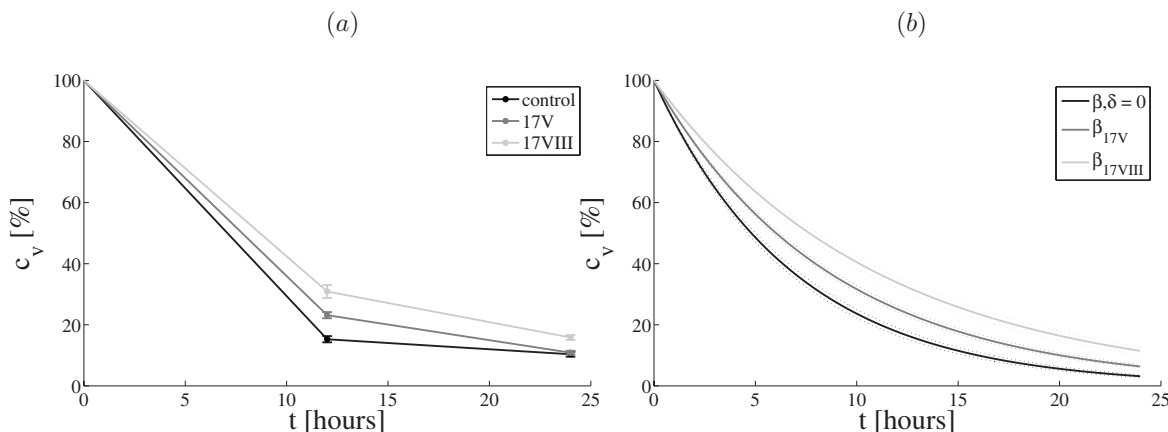


FIG. 5. Number of viable cells after treatment with staurosporine  $0.1 \mu M$ , in the presence and in the absence of OS-9, from FACS analysis. In (a) we reproduce the data from Fig. 5B in Ref. [6]. In (b) we show the solutions for  $c_v(t)$  with  $\alpha=0.15$ . The black curve depicts  $c_v(t)$  when  $\beta=0$ ; the gray curves depict  $c_v(t)$ , with the dark gray curve giving  $\beta_{17V}=0.19$  and the light gray curve  $\beta_{17VIII}=0.35$ . (The upper dashed curves represent the fittings to the maxima data with  $\alpha=0.15$ ,  $\beta_{17V}=0.18$  and  $\beta_{17VIII}=0.35$ ; the lower dashed curves represent the fittings to the minima data with  $\alpha=0.16$ ,  $\beta_{17V}=0.20$ , and  $\beta_{17VIII}=0.34$ .)

dence of cell death rate with the apoptotic agent. Now also using the values for  $\beta$ , we fit the solution to the experimental curve for  $c_a$  in the 17V and 17VIII cell line populations to find both  $\delta_{17V}=0$  and  $\delta_{17VIII}=0$ . These results are plotted in Fig. 5(b) and Fig. 6(b).

As anticipated by Vourvouhaki *et al.* [6], this case illustrates resistance to apoptosis, primarily upstream ( $\beta \neq 0$ ) and possibly also downstream ( $\delta \neq 0$ ), dependent on the concentration of staurosporine. This is supported by the observed dependence of the apoptosis time scale on the concentration of the apoptotic agent. A higher concentration of staurosporine increases the probability of interaction with a viable cell, as encapsulated in the larger value of  $\alpha$ ,  $\alpha_{(1 \mu M)}=0.20 > \alpha_{(0.1 \mu M)}=0.15$ . The probability of survival is further reduced by the observed decrease of upstream resistance to

apoptosis with a higher concentration of staurosporine, which can be accounted for by the smaller value of  $\beta$ ,  $\beta_{17V(1 \mu M)}=0.18 < \beta_{17V(0.1 \mu M)}=0.19$  and  $\beta_{17VIII(1 \mu M)}=0.24 < \beta_{17VIII(0.1 \mu M)}=0.35$ . The observed higher dying rate of apoptotic cells, on the other hand, can be accounted for by the larger decay rate  $\gamma_{(1 \mu M)}=0.72 > \gamma_{(0.1 \mu M)}=0.20$ . The dependence of  $\beta$  and  $\gamma$  with the concentration of the apoptotic agent was, however, not expected in the phenomenological framework of the kinetical model.

### C. TNF $\alpha$ treatment in FDC-P1 cells

Here we analyze apoptosis induction by treatment with TNF $\alpha$  ( $40 \text{ ng/ml}=0.78 \mu M$ ). Similarly to the previous case discussed, the apoptotic mechanism is that of addition of an

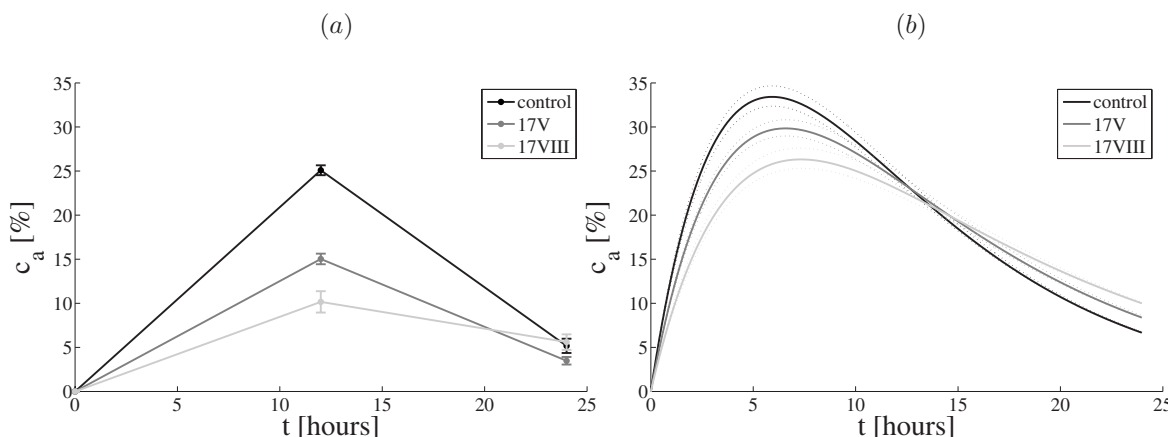


FIG. 6. Number of apoptotic cells after treatment with staurosporine  $0.1 \mu M$ , in the presence and in the absence of OS-9, from FACS analysis. In (a) we reproduce the data from Fig. 5C in Ref. [6]. In (b) we show the solutions for  $c_a(t)$  with  $\alpha=0.15$  and  $\gamma=0.20$ . The black curve depicts  $c_a(t)$  when  $\beta, \delta=0$ ; the gray curves depict  $c_a(t)$ , with  $\beta_{17V}=0.19$  and  $\delta_{17V}=0$  for the dark gray curve, with  $\beta_{17VIII}=0.35$  and  $\delta_{17VIII}=0$  for the light gray curve. (The upper dashed curves represent the fittings to the maxima data with  $\alpha=0.16$ ,  $\gamma=0.19$ ,  $\beta_{17V}=0.20$  and  $\delta_{17V}=0$ , and  $\beta_{17VIII}=0.34$  and  $\delta_{17VIII}=0$ ; the lower dashed curves represent the fittings to the minima data with  $\alpha=0.15$ ,  $\gamma=0.20$ ,  $\beta_{17V}=0.18$  and  $\delta_{17V}=0$ , and  $\beta_{17VIII}=0.35$  and  $\delta_{17VIII}=0$ .)

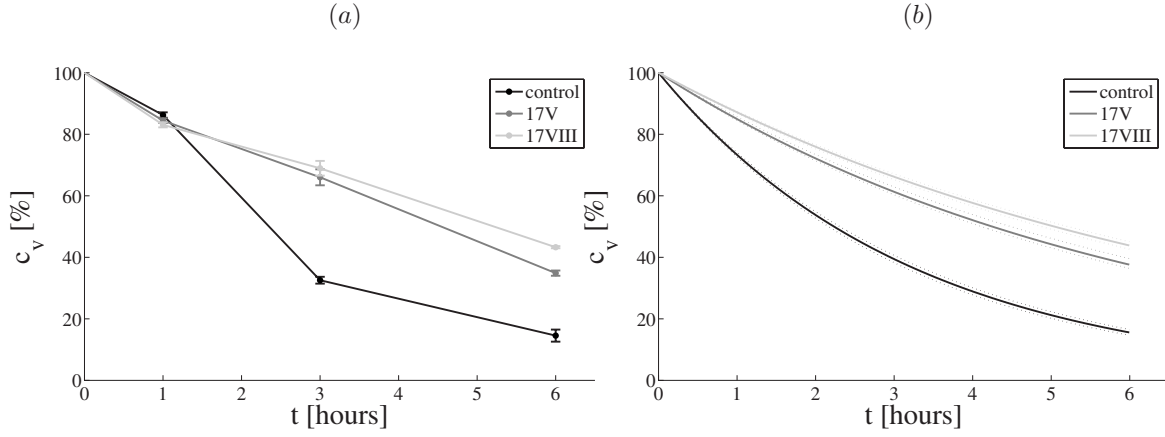


FIG. 7. Number of viable cells after treatment with  $\text{TNF}\alpha$ , in the presence and in the absence of OS-9, from the FACS analysis. In (a) we reproduce the data from Fig. 6B in Ref. [6]. In (b) we show the solutions for  $c_v(t)$  with  $\alpha=0.32$ . The black curve depicts  $c_v(t)$  when  $\beta=0$ ; the gray curves depict  $c_v(t)$ , with the dark gray curve for  $\beta_{17V}=0.46$  and the light gray curve for  $\beta_{17VIII}=0.54$ . (The upper dashed curves represent the fittings to the maxima data with  $\alpha_0=0.31$ ,  $\beta_{17V}=0.47$ , and  $\beta_{17VIII}=0.54$ ; the lower dashed curves represent the fittings to the minima data with  $\alpha_0=0.33$ ,  $\beta_{17V}=0.46$ , and  $\beta_{17VIII}=0.54$ .)

apoptotic agent, which is described by the system of Eqs. (4)–(6), with  $\beta$  having the interpretation of OS-9 overexpression modulation in apoptosis resistance. The experimental results are collected in Figs. 6B and 6C of Ref. [6], which we reproduce in Figs. 7(a) and 8(a), respectively.

We want to solve for  $c_v(t)$ , given by Eq. (4), and fit it to Fig. 7(a). Setting  $\beta=0$ , we fit the solution to the experimental curve for  $c_v$  in the negative control population cell and find  $\alpha=0.32^{+0.01}_{-0.01}$ . Given  $\alpha$ , we consider the case where  $\beta \neq 0$ . Fitting the solution to the experimental curve for  $c_v$  in the OS-9-overexpressed cell line populations, we find  $\beta_{17V}=0.46^{+0.04}_{-0.04}$  and  $\beta_{17VIII}=0.54^{+0.03}_{-0.03}$ . The resulting plots are shown in Fig. 7(b).

We then proceed to solve for  $c_a(t)$ , given by Eq. (5), and to fit it to Fig. 8(a). Using the values for  $\alpha$  and  $\beta$  determined above, we fit the solution to the experimental curves for  $c_a$  in

the negative control cell population and in the OS-9-overexpressed cell line populations, finding, respectively,  $\gamma=0.045^{+0.016}_{-0.016}$  and both  $\delta_{17V}=0$  and  $\delta_{17VIII}=0$ . The resulting plots are shown in Fig. 8(b).

From the parameter estimation we conclude that this case illustrates upstream resistance to apoptosis ( $\beta \neq 0$ ) in agreement with what was anticipated by Vourvouhaki *et al.* [6].

#### IV. DISCUSSION

In this paper we present a simple theoretical model to assess the possible effects of OS-9 overexpression upon induction of apoptosis. We formulated a mechanistic model for the reaction of OS-9-overexpressed cell populations to induction of apoptosis by different mechanisms and estimated the parameters of the model from the data set available on

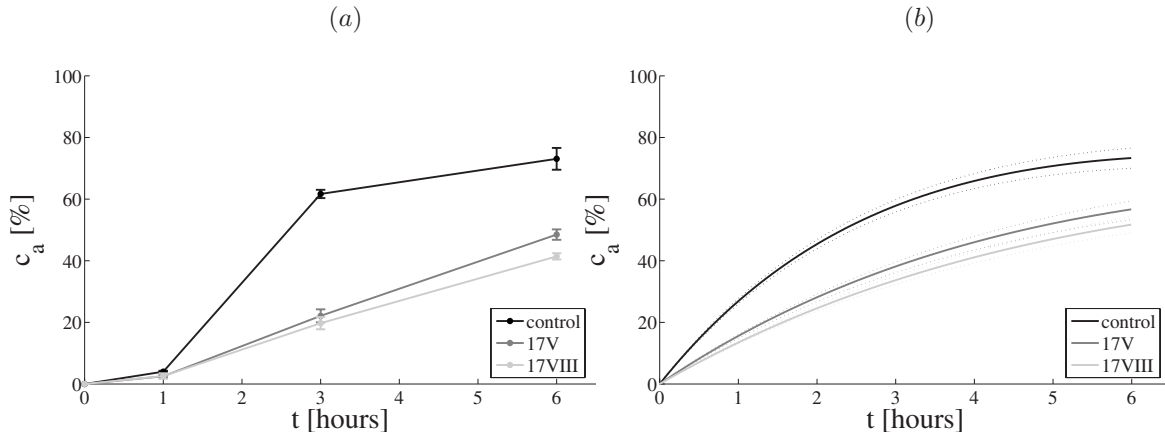


FIG. 8. Number of apoptotic cells after treatment with  $\text{TNF}\alpha$ , in the presence and in the absence of OS-9, from the FACS analysis. In (a) we reproduce the data from Fig. 6C in Ref. [6]. In (b) we show the solutions for  $c_a(t)$  with  $\alpha=0.32$  and  $\gamma=0.045$ . The black curve depicts  $c_a(t)$  when  $\beta, \delta=0$ ; the gray curves depict  $c_a(t)$ , with the dark gray curve for  $\beta_{17V}=0.46$  and  $\delta_{17V}=0$ , and the light gray curve for  $\beta_{17VIII}=0.54$  and  $\delta_{17VIII}=0$ . (The upper dashed curves represent the fittings to the maxima data with  $\alpha=0.33$ ,  $\gamma=0.036$ ,  $\beta_{17V}=0.46$ , and  $\delta_{17V}=0$ , and  $\beta_{17VIII}=0.54$  and  $\delta_{17VIII}=0$ ; the lower dashed curves represent the fittings to the minima data with  $\alpha=0.31$ ,  $\gamma=0.055$ ,  $\beta_{17V}=0.47$ , and  $\delta_{17V}=0.33$ , and  $\beta_{17VIII}=0.54$  and  $\delta_{17VIII}=0$ .)



TABLE I. Kinetical model parameters estimated for both cell line populations. We summarize the values of the parameters estimated for both cell line populations and for the three different mechanisms of apoptosis induction.

	$\alpha$	$\beta_{17V}$	$\beta_{17VIII}$	$\gamma$	$\delta_{17V}$	$\delta_{17VIII}$
IL-3	$0.057^{+0.001}_{-0.001}$	$0.17^{+0.04}_{-0.05}$	$0.31^{+0.03}_{-0.04}$	$0.30^{+0.04}_{-0.04}$	$0.099^{+0.16}_{-0.099}$	$0.086^{+0.14}_{-0.086}$
staurosporine $1 \mu M$	$0.20^{+0.005}_{-0.01}$	$0.18^{+0.005}_{-0.05}$	$0.24^{+0.03}_{-0.07}$	$0.72^{+0.18}_{-0.10}$	$0.19^{+0.17}_{-0.16}$	$0.27^{+0.16}_{-0.13}$
staurosporine $0.1 \mu M$	$0.15^{+0.01}_{-0.005}$	$0.19^{+0.06}_{-0.05}$	$0.35^{+0.05}_{-0.06}$	$0.20^{+0.005}_{-0.01}$	0	0
TNF $\alpha$	$0.32^{+0.01}_{-0.01}$	$0.46^{+0.04}_{-0.04}$	$0.54^{+0.03}_{-0.03}$	$0.045^{+0.016}_{-0.016}$	0	0

the possible implication of OS-9 in promotion of cell viability and resistance to apoptosis. We summarize the results in Table I.

From this table we observe that the OS-9 overexpression-dependent parameters take nonvanishing values. Moreover, comparing the  $\beta$  values across all the apoptotic inducing mechanisms, we observe a strong dependence with the level of OS-9 overexpression in the two cell line populations 17V and 17VIII. These observations suggest that OS-9 has a possible role as an anti-apoptotic factor and that this role is dose-dependent, with the cell line population 17VIII exhibiting a greater effect in both promoting cell viability and resisting to induction of apoptosis than 17V.

A closer look at the  $\delta$  values reveals that they are very close to zero except for one situation, namely, [staurosporine]= $1 \mu M$  for the 17VIII cell line population. We are persuaded to speculate that the OS-9 overexpression does not have a significant effect on downstream modulation of apoptosis. The vanishing values found for the parameter  $\delta$  whenever presented without error bars are strictly vanishing, i.e., in the parameter interval  $[0,1]$  the minimum cost function is at  $\delta=0$ . In the cases where the *induced average value* for  $\delta$  is nonvanishing, the *induced error bars* can still contemplate a vanishing  $\delta$ . A possible way of testing this effect would be to measure the OS-9 overexpression in the apoptotic phase only, as described by Eq. (3). The number of apoptotic cells would be controlled, so that the conversion rate will only depend on  $\gamma$  and  $\delta$ .

We observe that our model reflects the tendency observed in the data collected in Ref. [6] and supports the interpretation therein advanced. There is quantitative evidence that OS-9 has a role in the regulation of the conversion rates for  $c_v \rightarrow c_a$  and  $c_a \rightarrow c_n$ , as illustrated by the nonvanishing values found for the OS-9-dependent parameters. Such evidence, however, is not determinant since the values are small and the errors are large (ranging from around 10–100 % of the values estimated from the average data values). The results show that OS-9 contributes primarily to promotion of viability and upstream resistance to apoptosis, as reflected by  $\beta \neq 0$ , with little or no effect on downstream resistance, as reflected by the close to vanishing values for  $\delta$ . Furthermore, this function does not appear to be related to an increase in cell proliferation, as DNA content analysis shows that cells overexpressing OS-9 do not have a greater proportion of dividing cells than control populations [6].

Some results, however, remain to be fully explained. We collapsed in the parameter  $\alpha$  all the intricacies of the intra-

cellular, molecular processes involved in apoptosis induction and whose relation with OS-9 we had no data to constrain or infer. TNF $\alpha$  gives us the highest rate of apoptosis induction among the various other factors, followed by [staurosporine]= $1 \mu M$  and [staurosporine]= $0.1 \mu M$ . The withdrawal of IL-3, being a factor that promotes cell viability, can be seen indirectly to affect cell viability. Of the three apoptosis induction mechanisms described in the available data sets, only the staurosporine-mediated one allowed us to discriminate the effect of the concentration of the apoptotic agent,  $[a_a]$ . For that data set we observe a dependence of  $\alpha$  with  $[a_a]$ . However, our model cannot predict the functional form of this dependence so as to reproduce the value  $A=0.125^{+0.003}_{-0.005}$  in the empirical expression

$$\frac{\alpha_{(1 \mu M)}}{\alpha_{(0.1 \mu M)}} = \left( \frac{1}{0.1} \right)^A, \quad (11)$$

relating the tenfold increase of  $[a_a]$  with  $\alpha$ . Moreover, we observe a dependence of both  $\beta$  and  $\gamma$  with  $[a_a]$  which is not *a priori* encompassed by the kinetical model, since these parameters measure the rate of cellular processes whose development has, to our current understanding, no relation to the environmental conditions that triggered the preceding process. We also note that both  $\beta$  and  $\gamma$  act towards a decrease of  $c_a$ , though in different ways. We venture that these observations might be evidence of the limits of the descriptive power of the kinetical model in face of the complexity of the biological system that it was conceived to describe as a first-order model. The binding rates  $\alpha_{up(i)}$  and  $\alpha_{down(i)}$  in the chemical model conceal intermediate phenomena at levels of interaction unaccounted for by the kinetical model. We believe that a higher-order model would be able to expose the sources of these observations, as well as allow for possible dependencies with the apoptotic agent or the apoptosis inducing mechanism.

Additional data from various experimental setups and from complementary measurements are, therefore, required to unambiguously determine the function of OS-9 in cell fate and in tumor growth, and test the model as a realistic theoretical description of the biological system. In particular, further experiments should attempt to identify the signalling pathway through which OS-9 exerts its function. Biochemical assays and western blot analysis will provide the means for the identification of the proteins that OS-9 binds to in order to transmit its potential signals. It is also essential that

the function of OS-9 should be tested in *in vivo* models. The establishment of knockout mice is also important in order to assess the functional importance of OS-9 during development. Only then can we rely on the values for the parameters estimated by the mathematical technique developed in this paper.

Addition of an apoptotic agent or withdrawal of a vital agent are expected to induce apoptosis through different pathways, respectively, by a caspase-initiated cascade [8–10] or by the mitochondrial/cytochrome c pathway [7]. We note, however, that we cannot compare the concentrations of different reagents/proteins since each one of them acts in a different way in the cells. Different molecular processes entailing different cellular mechanisms can nevertheless reflect the same populational effect, thus rendering themselves to be described by the same mathematical model. Though at the level of description of our first-order model the parameters estimated for each mechanism are not comparable, they are nonetheless valid to suggest a contribution of OS-9 to cell viability and resistance to apoptosis.

The process of explaining a mechanism involves an active process of simplification: it is necessary to make assumptions to define the most relevant components contributing to the overall observed dynamics while removing factors which contribute less. The isolation and identification of the core principles governing the dynamics is paramount to the detailed understanding of any system. (For a discussion, see Ref. [14].) Following this approach, we present a minimal model which is capable of capturing the structure of the experimental data. This model does not perfectly fit the experi-

mental data but it is built upon biologically plausible and consistent assumptions. The values for all the parameters in the model are calculated using the least mean square method and are, in that sense, optimal. More complex models could be derived which, by using more parameters, would provide a better fit to the data. However, such models would be less informative since the functional role of the additional parameters would be speculative. Moreover, experimental data are always noisy and a perfect fit to a specific data set means loss in generality. It is important to emphasize that very little is known about the dynamics associated with OS-9. Our minimal model conciliates the scarce information available with robust assumptions to produce a simple but general model capable of quantifying the contribution of OS-9 as a potent anti-apoptotic factor. This is a first-order model which serves as a valuable starting point for experiments aiming at a more detailed understanding of the role of OS-9. To the best of our knowledge, this is the only available model for the quantification of the OS-9 contribution to apoptosis.

This model can be applied to other cellular systems since it allows for the discrimination of effects at different stages in a complex chemical mechanism and can easily be upgraded in accordance to the functional information available.

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